

Lesson 6 – Cryptography



Hardware security review

- Hardware security protection is achieved by
 - Memory isolation
 - Segregating user mode and kernel mode instructions
 - Only secure programs (operating system) get to execute kernel mode instruction
 - Segregation of system resources into non-secured and secured
- In general, hardware security is based on preventing malicious code from accessing unauthorized resources

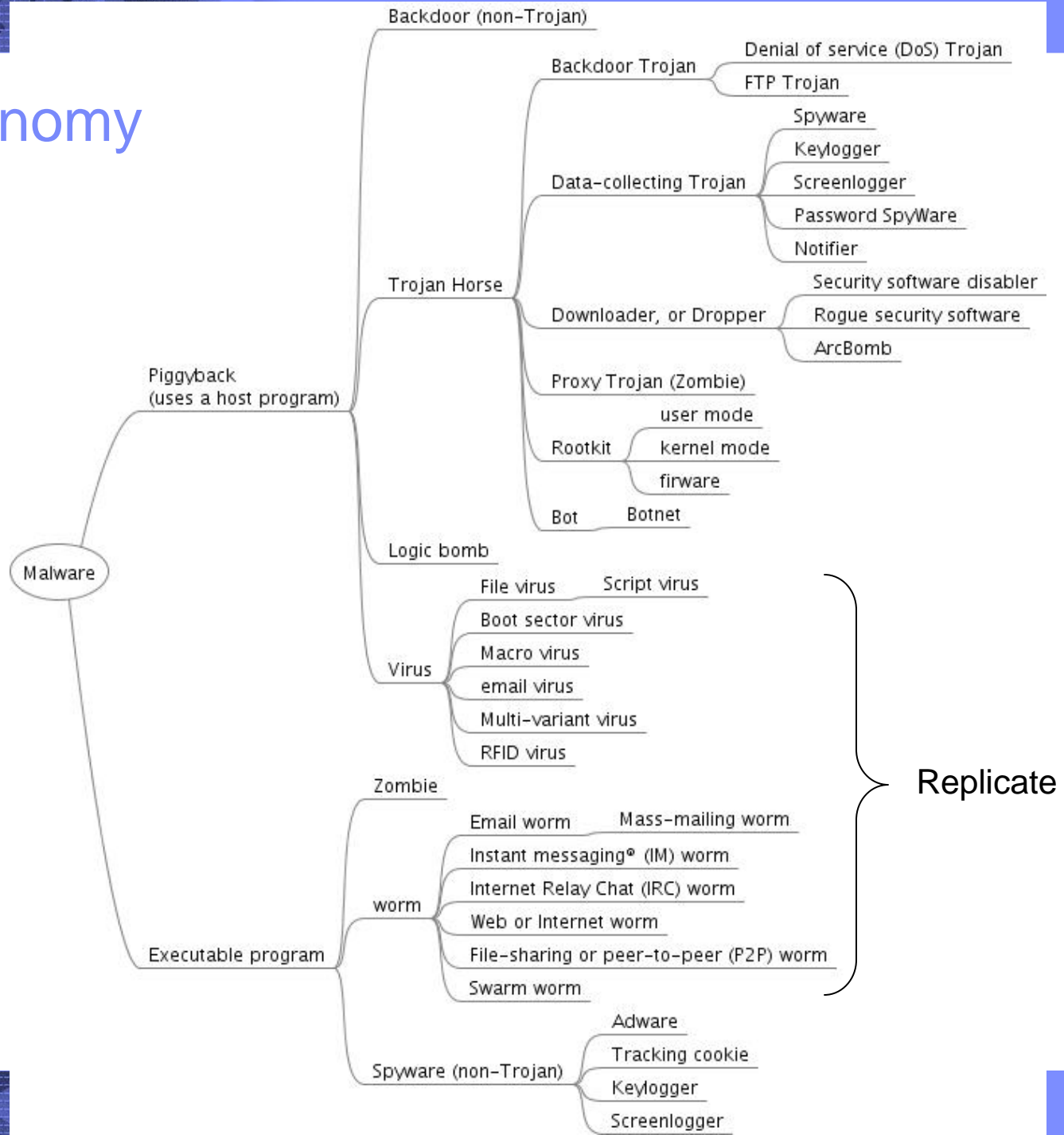
Malware characteristics

- Delivers a payload
 - How the malware affects its target
- Uses an attack vector
 - How the malware infects or spread to its targets
- May use a replicating algorithm
 - How the malware makes copies of itself

Attack Vectors

- Social engineering
 - “Make them want to run it”
- Vulnerability exploitation
 - “Force your way into the system”
- Piggybacking
 - “Make it run when other programs run”

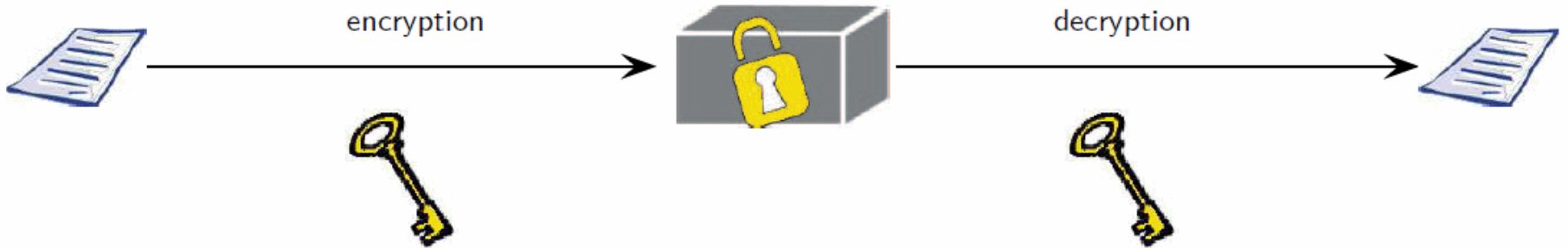
Malware taxonomy



Cryptography

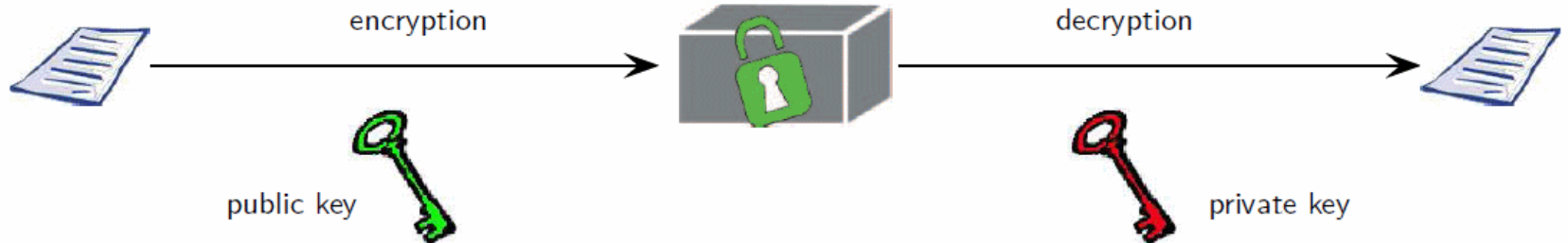
Symmetric encryption

- Same key to encrypt and decrypt
- Key is a shared secret

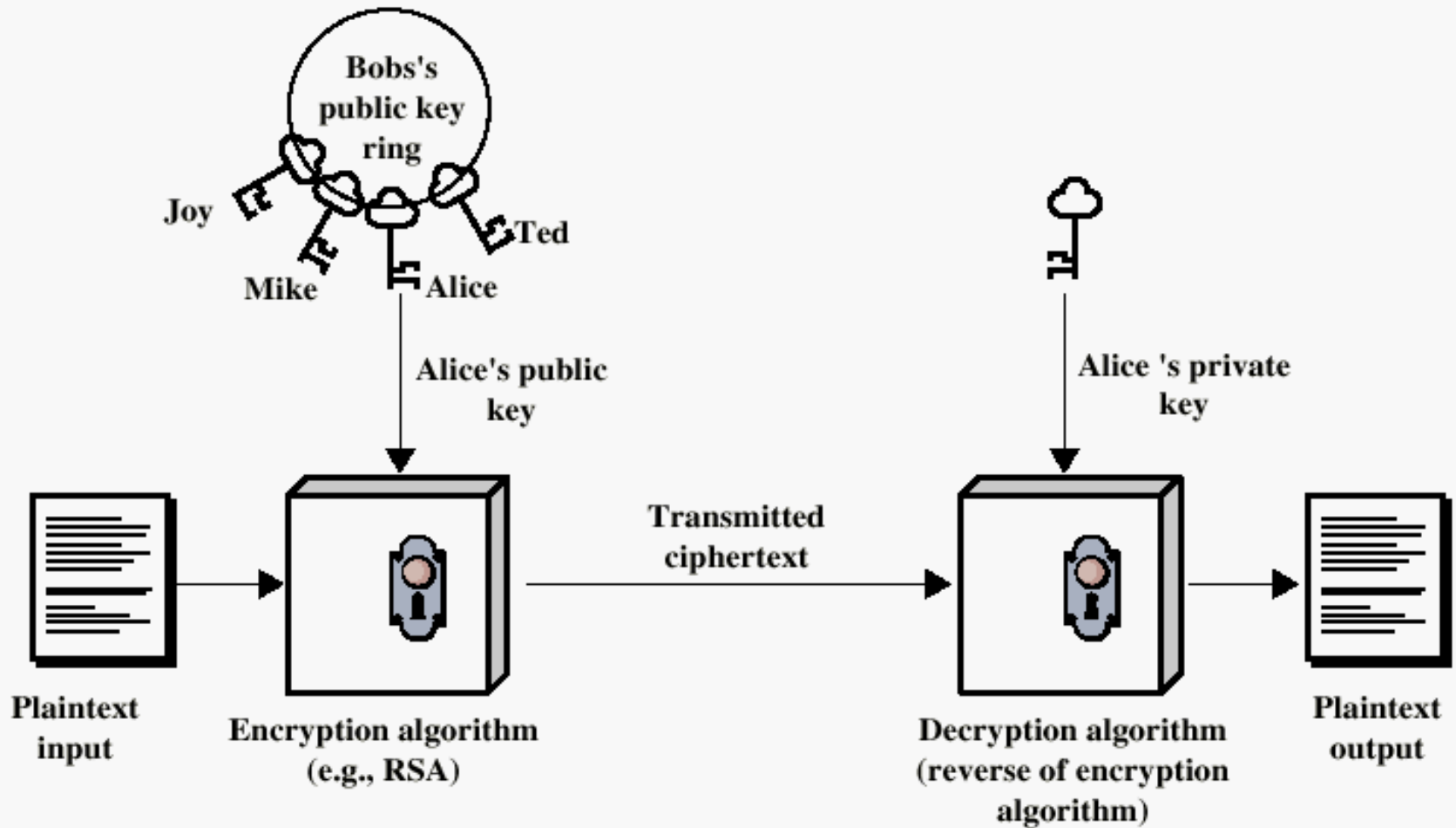


Asymmetric encryption

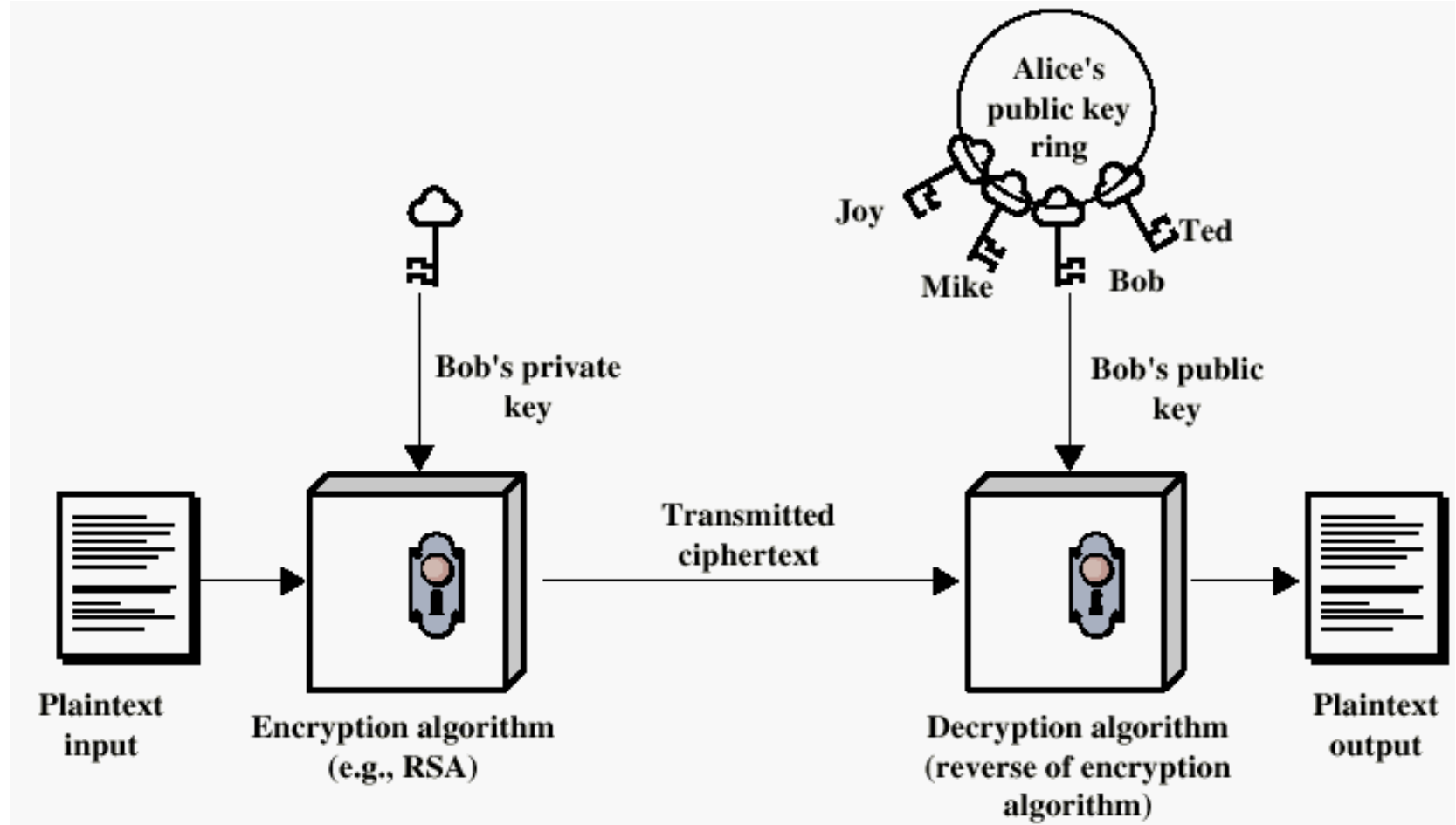
- Uses a mathematically related key pair
 - Public key to encrypt
 - Private key to decrypt
- Bob gives away the public key to all his friends so they can encrypt messages for him
- Are considered slow



Encryption using Asymmetric Key system



Authentication using Asymmetric Key System



Secure HASH Functions

- Purpose of the HASH function is to produce a "fingerprint".
- Properties of a HASH function
 - can be applied to a block of data at any size
 - produces a fixed length digest
 - Should be easy to compute
 - Closely related text should produce different hashes

Common hash functions

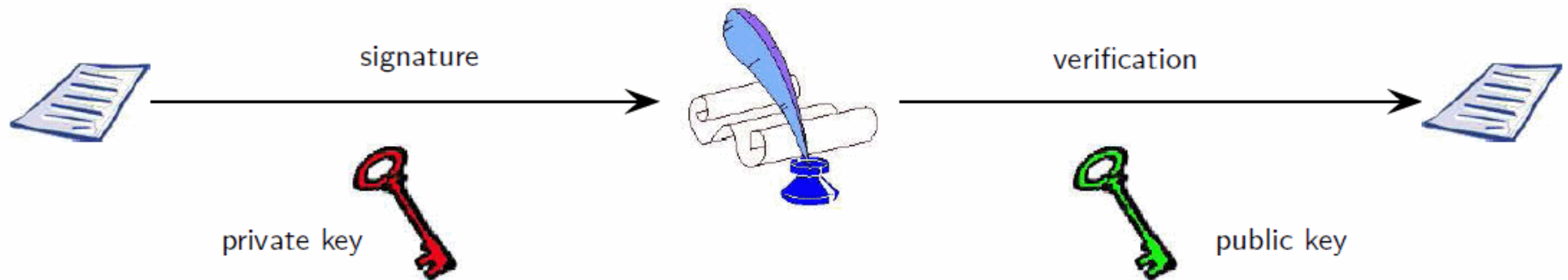
Function	Digest size	Input	Digest
RIPEMD	128	Fox	DFCD 3454 BBEA 788A 751A 696C 24D9 7009 CA99 2D17
RIPEMD-160	160		
MD2	128	The red fox jumps over the blue dog	0086 46BB FB7D CBE2 823C ACC7 6CD1 90B1 EE6E 3ABC
MD4	128		
MD5	128	The red fox jumps over the blue dog	8FD8 7558 7851 4F32 D1C6 76B1 79A9 0DA4 AEF6 4819
SHA-0	160		
SHA-1	160	The red fox jumps over the blue dog	FCD3 7FDB 5AF2 C6FF 915F D401 C0A9 7D9A 46AF FB45
SHA-256	256		
SHA-512	512	The red fox jumps over the blue dog	8ACA D682 D588 4C75 4BF4 1799 7D88 BCF8 92B9 6A6C
GOST	256		
Tiger	192		

cryptographic hash function (SHA-1) at work.

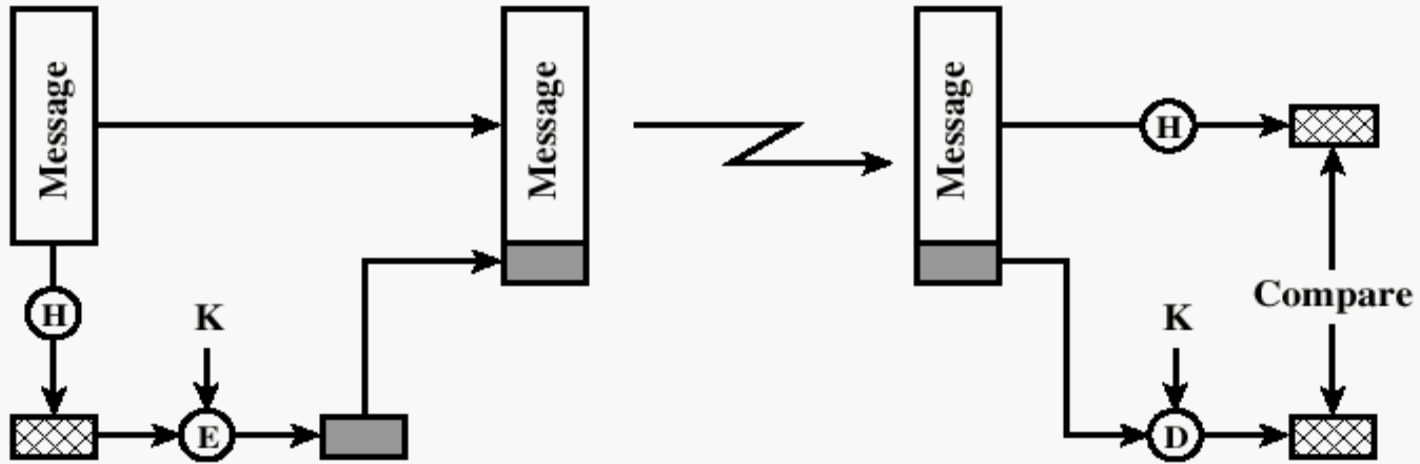
From: http://en.wikipedia.org/wiki/Cryptographic_hash_function

Signature

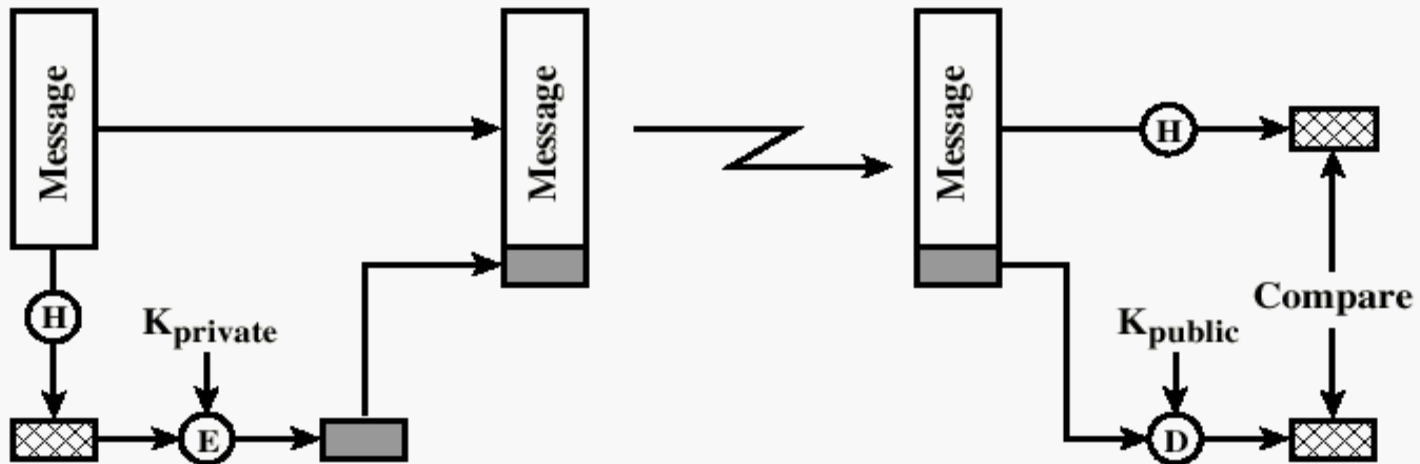
- Derived from the message content
 - May sign part of the message
- Offer
 - Guarantee the message has not been tamper with
 - Non-repudiation



Digital signature using one-way hash functions

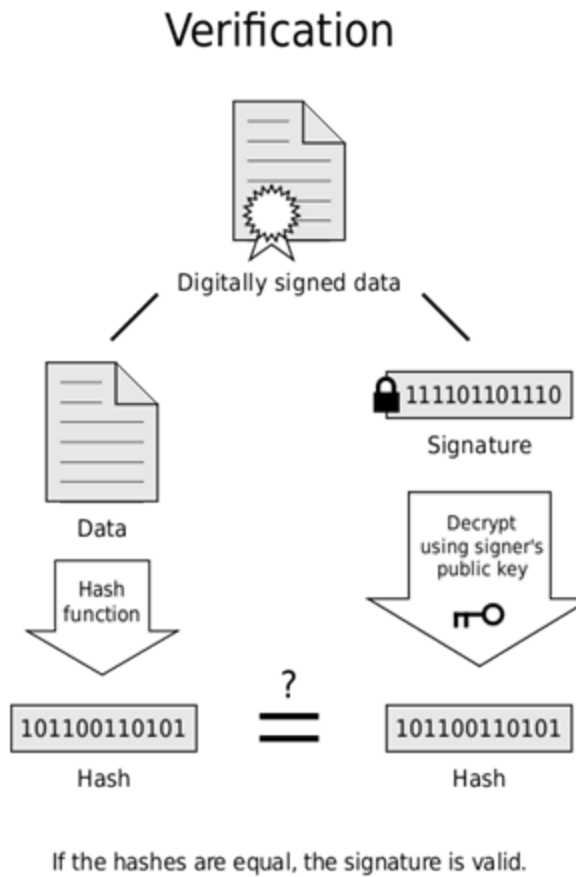
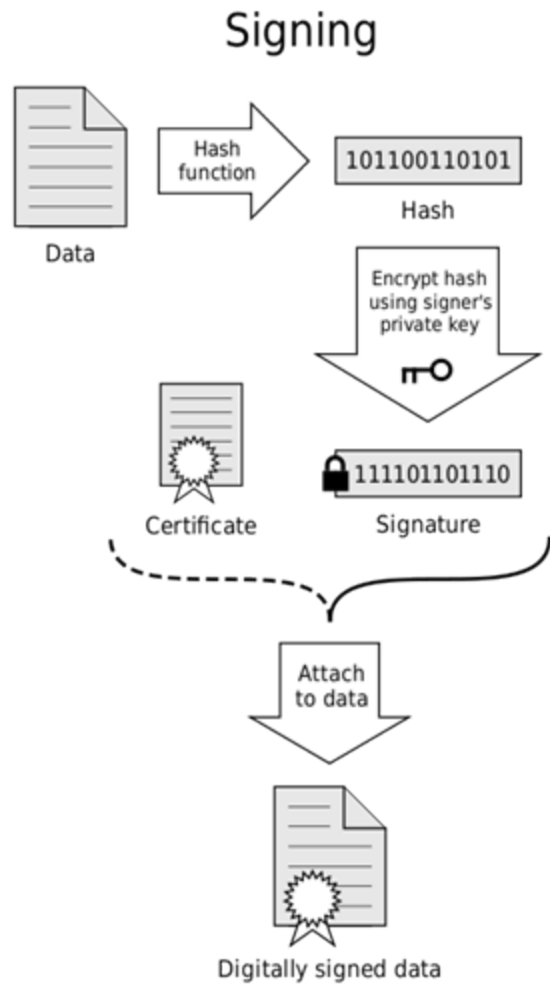


(a) Using conventional encryption



(b) Using public-key encryption

Signature



Diffie-Hellman Key Agreement

- Discovered by Whitfield Diffie and Martin Hellman
 - “New Directions in Cryptography”, 1976
- Diffie-Hellman key agreement protocol
 - Allows two users to exchange a secret key
 - Requires no prior secrets
 - Real-time over an untrusted network
- Based on the difficulty of computing discrete logarithms of large numbers
- Requires two large numbers, one prime (P), and (G), a primitive root of P

Diffie-Hellman Key Agreement Protocol 1/2

Public parameters:

g, p : two large primes, $g < p$
 p at least 512 bits

private parameters:

a : random number, selected by Alice
 b : random number, selected by Bob

Compute public values:

$x = g^a \bmod p$, calculated by Alice
 $y = g^b \bmod p$, calculated by Bob

Diffie-Hellman Key Agreement Protocol 2/2

Compute shared private key:

$k_a = y^a \bmod p$, calculated by Alice

$k_b = x^b \bmod p$, calculated by Bob

They can now communicate using symmetric keys

Because $K_a = K_b$

Alice calculated $K_A = ((g^b \bmod p)^a \bmod p)$,
result is $K_A = (g^{ab} \bmod p)$

Bob calculated $K_B = ((g^a \bmod p)^b \bmod p)$,
result is $K_B = (g^{ab} \bmod p)$

Session key $K_A = K_B = g^{ab} \bmod p$

Diffie-Hellman Key Agreement Protocol



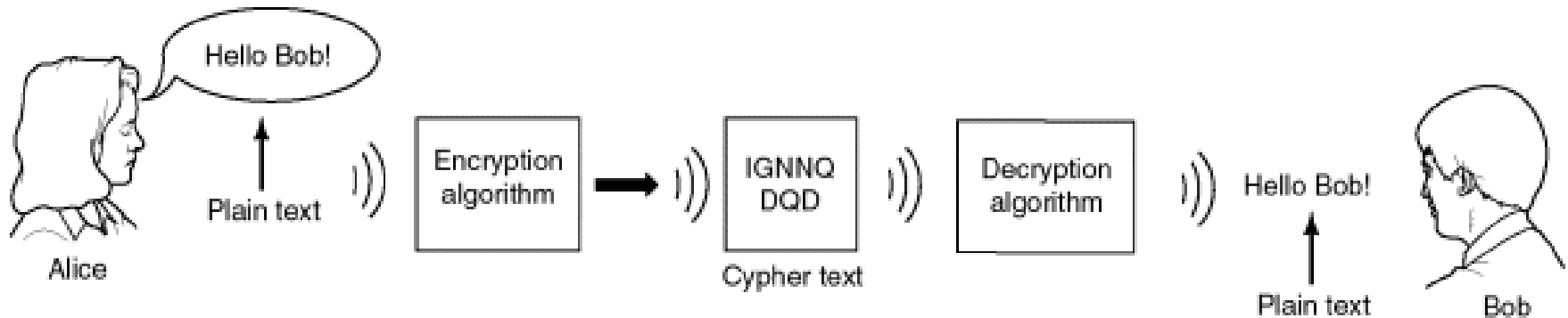
- 1: B \rightarrow A: g, p // $g < p$
- 2: A \rightarrow B : $x=(g^a \text{ mod } p)$ //a=Alice secret
- 3: B \rightarrow A : $y=(g^b \text{ mod } p)$ //b=Bob secret
- ====Now Alice & Bob can start communicating====
- 4: A \rightarrow B : $\{ M_A \}K_A$
- 5: B \rightarrow A : $\{ M_B \}K_B$



Session key $K_A = K_B = g^{ab} \text{ mod } p$

Example

- Alice and Bob wish to have a secure conversation.
 - They decide to use symmetric encryption to communicate
 - and Diffie-Hellman protocol to calculate the session key



Example

- Alice and Bob interchange public numbers
 - $p = 23, g = 9$
- Alice and Bob select private secret
 - $a = 4$
 - $b = 3$
- Alice and Bob compute public values
 - $X = g^a \text{ mod } p = 9^4 \text{ mod } 23 = 6561 \text{ mod } 23 = 6$
 - $Y = g^b \text{ mod } p = 9^3 \text{ mod } 23 = 729 \text{ mod } 23 = 16$
- Alice and Bob exchange public numbers (6 & 16)

Example

- Alice and Bob compute symmetric keys
 - $k_a = y^a \bmod p = 16^4 \bmod 23 = 9$
 - $k_b = x^b \bmod p = 6^3 \bmod 23 = 9$
- Alice and Bob now can talk securely using $K=9$

The Computational Diffie-Hellman Assumption

- Eve, an eavesdropper
 - Knows: g , p , $x=(g^a \bmod p)$ and $y=(g^b \bmod p)$
 - But, does not know a or b
- Assumption: it is very hard to calculate $(g^{ab} \bmod p)$

Applications

- Diffie-Hellman is currently used in many protocols, namely:
 - Secure Sockets Layer (SSL / https)
 - Transport Layer Security (TLS)
 - Secure Shell (SSH)
 - Internet Protocol Security (IPSec)
 - Public Key Infrastructure (PKI)

The End